

# PRAPROSES CITRA DIGITAL

Perbaiki kontras dengan fungsi transformasi intensitas







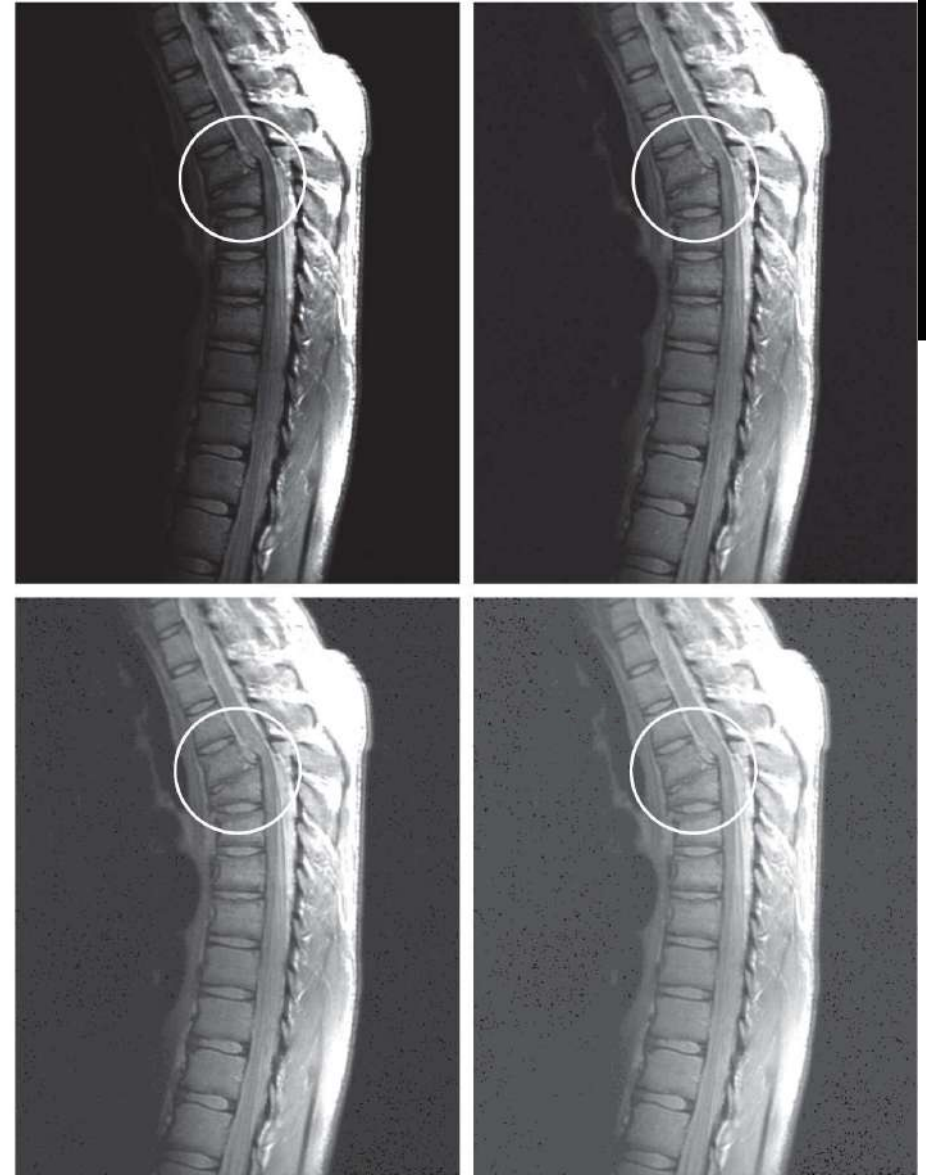




# CONTOH

a b  
c d

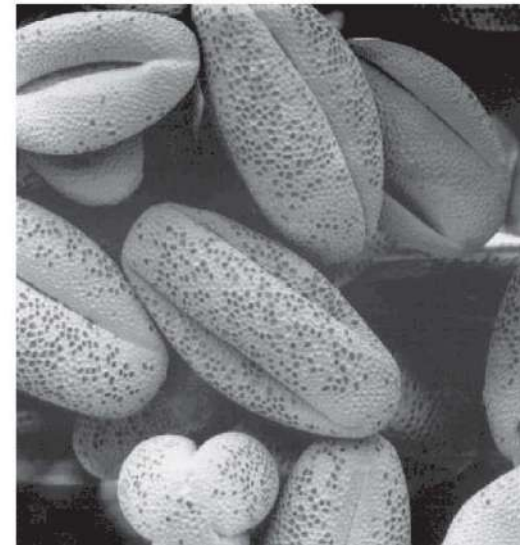
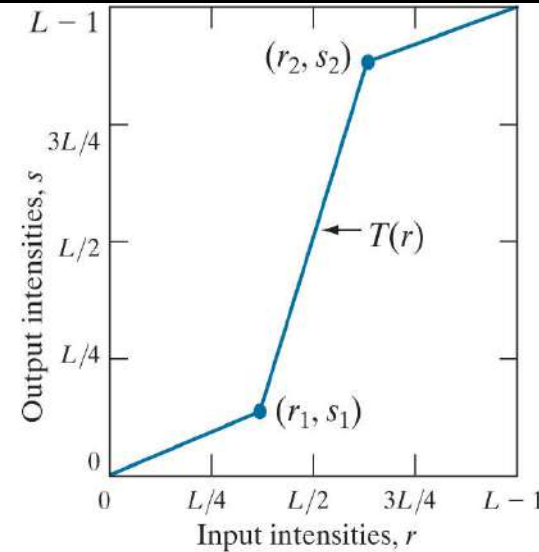
- a) MRI tulang dengan area fraktur yang dilingkari
- b) Hasil transformasi gamma dengan nilai gamma ( $\gamma$ ) = 0,6
- c) Hasil transformasi gamma dengan nilai gamma ( $\gamma$ ) = 0,4
- d) Hasil transformasi gamma dengan nilai gamma ( $\gamma$ ) = 0,3



# CONTRAST STRETCHING

a b  
c d

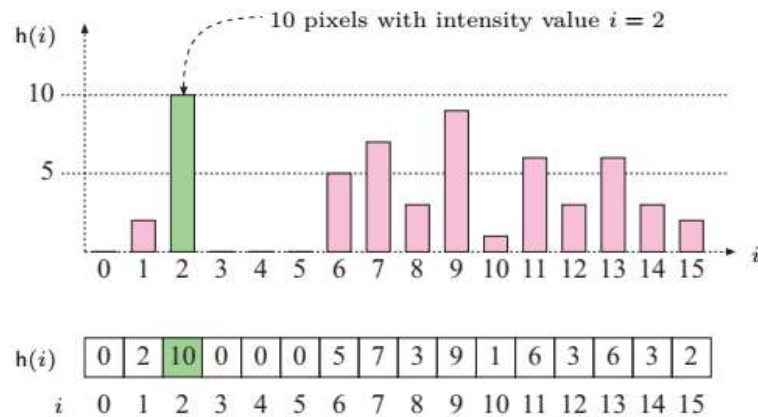
- Piecewise linear transformation function.
- A low-contrast electron microscope image of pollen, magnified 700 times.
- Result of contrast stretching.
- Result of thresholding.



# PRAPROSES CITRA DIGITAL

Pemrosesan histogram

# IMAGE HISTOGRAM



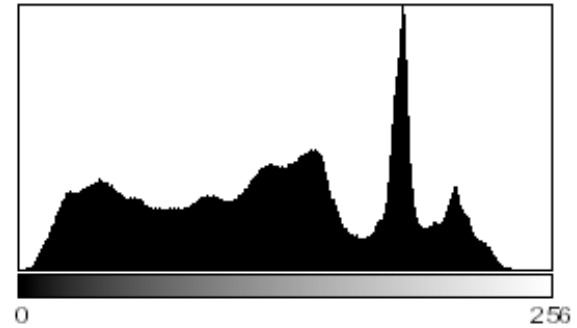
Histogram vector for an image with  $K = 16$  possible intensity values.

The indices of the vector element  $i = 0 \dots 15$  represent intensity values.

The value of 10 at index 2 means that the image contains 10 pixels of intensity value 2.

# IMAGE HISTOGRAM

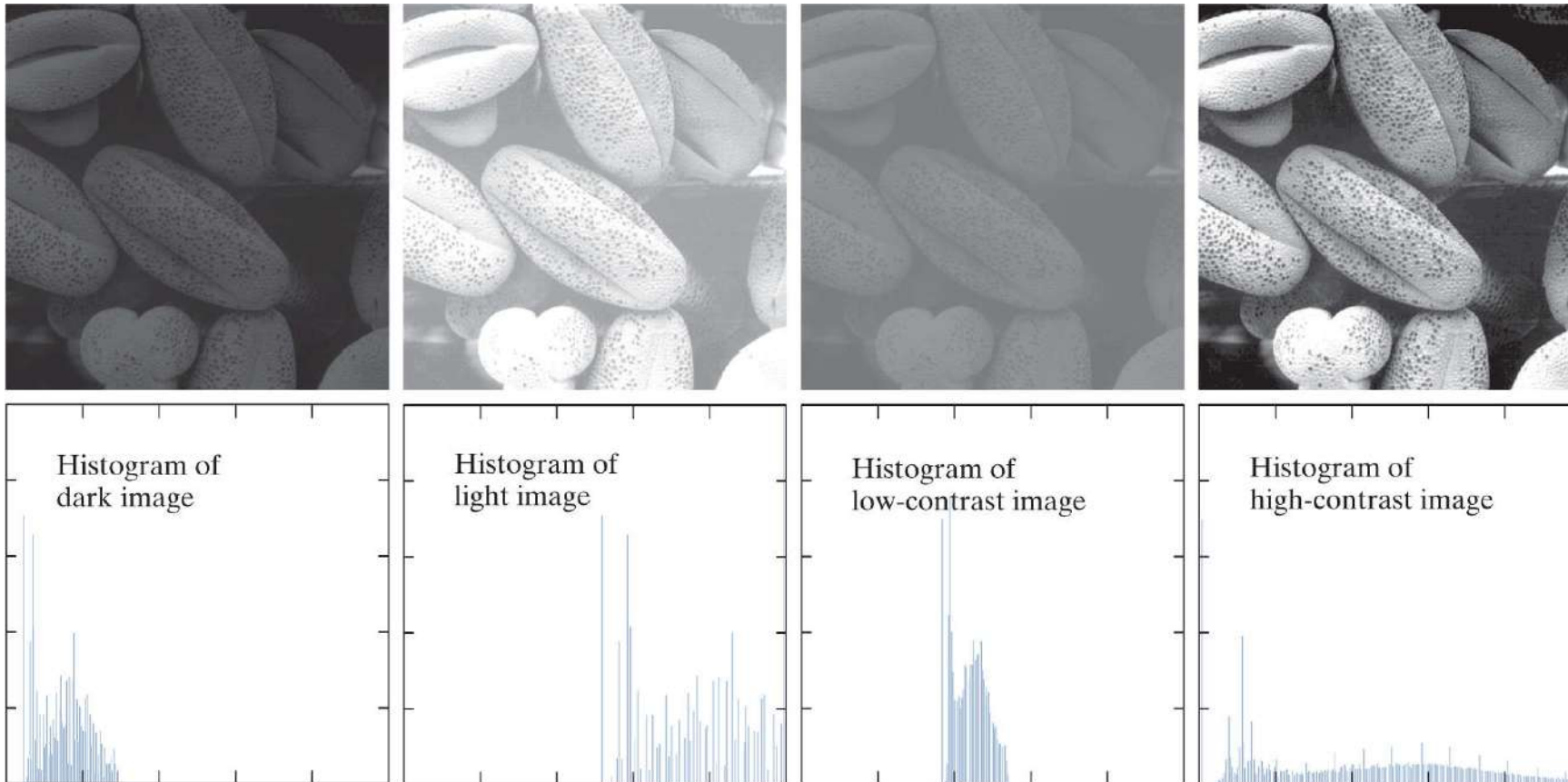
An 8-bit grayscale image and a histogram depicting the frequency distribution of its 256 intensity values



Count: 1920000	Min: 0
Mean: 118.848	Max: 251
StdDev: 59.179	Mode: 184 (30513)



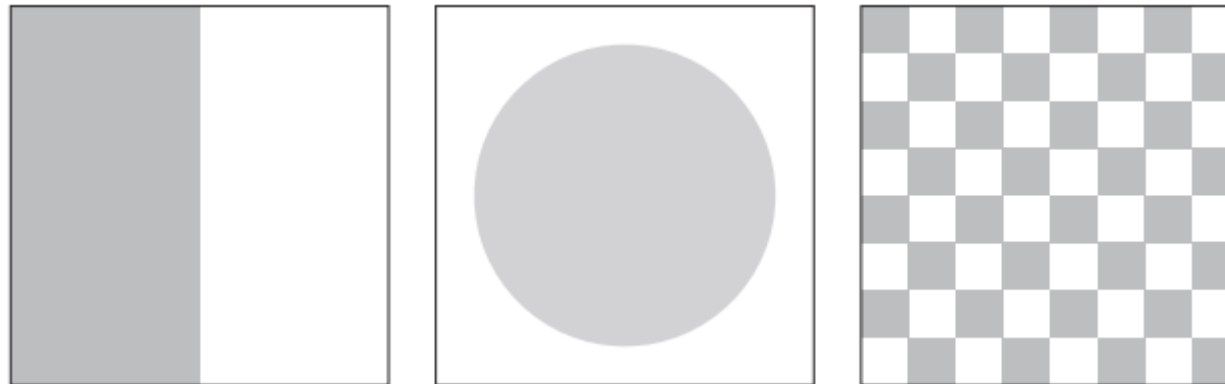
# JENIS CITRA DAN HISTOGRAMNYA



a b c d

# JENIS CITRA DAN HISTOGRAMNYA

Is it possible to reconstruct an image using only its histogram?



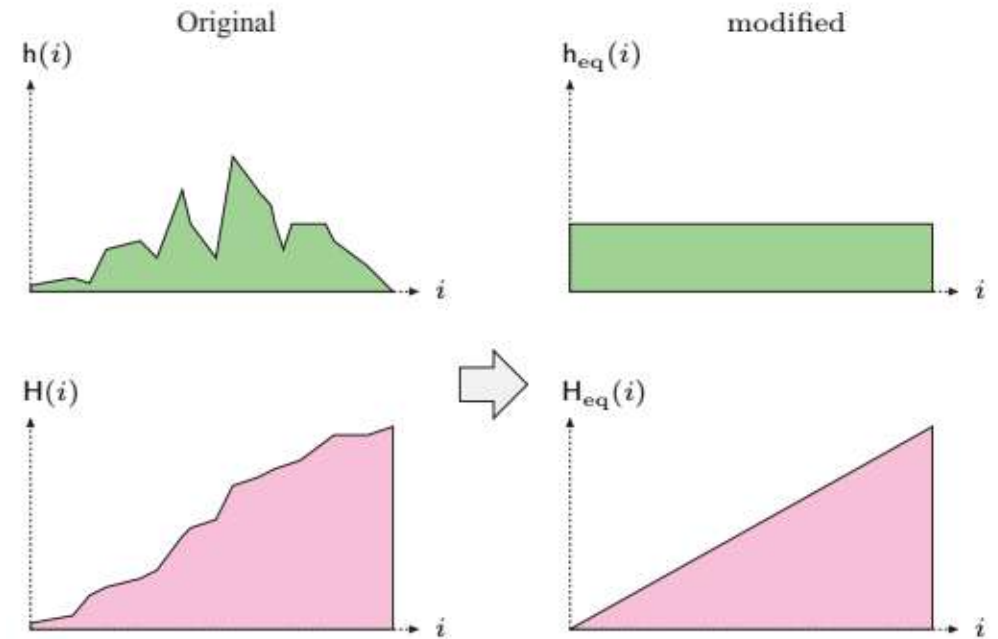
Three very different images with identical histograms

# PRAPROSES CITRA DIGITAL

Pemerataan iluminasi

# HISTOGRAM EQUALIZATION

find and apply a point operation such that the histogram of the modified image approximates a *uniform* distribution



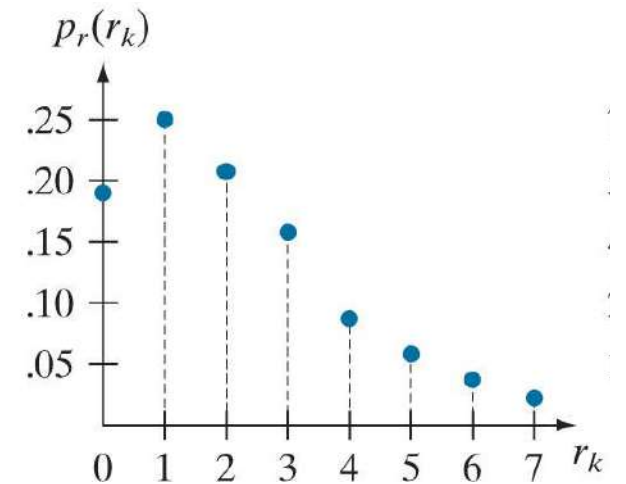
The cumulative target histogram must thus be approximately wedge-shaped

# CONTOH HISTOGRAM EQUALIZATION

TABLE 3.1

Intensity distribution and histogram values for a 3-bit,  $64 \times 64$  digital image.

$r_k$	$n_k$	$p_r(r_k) = n_k/MN$
$r_0 = 0$	790	0.19
$r_1 = 1$	1023	0.25
$r_2 = 2$	850	0.21
$r_3 = 3$	656	0.16
$r_4 = 4$	329	0.08
$r_5 = 5$	245	0.06
$r_6 = 6$	122	0.03
$r_7 = 7$	81	0.02

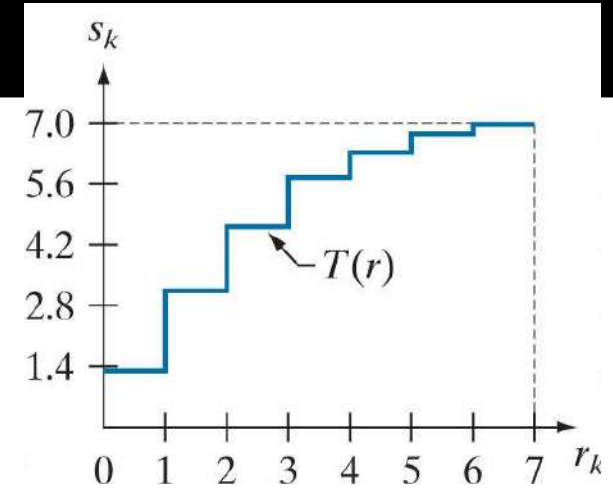


# CONTOH HISTOGRAM EQUALIZATION

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$$s_k = T(r_k) = (L - 1) \sum_{j=0}^k p_r(r_j) \quad k = 0, 1, 2, \dots, L - 1$$

$$s_0 = T(r_0) = 7 \sum_{j=0}^0 p_r(r_j) = 7p_r(r_0) = 1.33$$

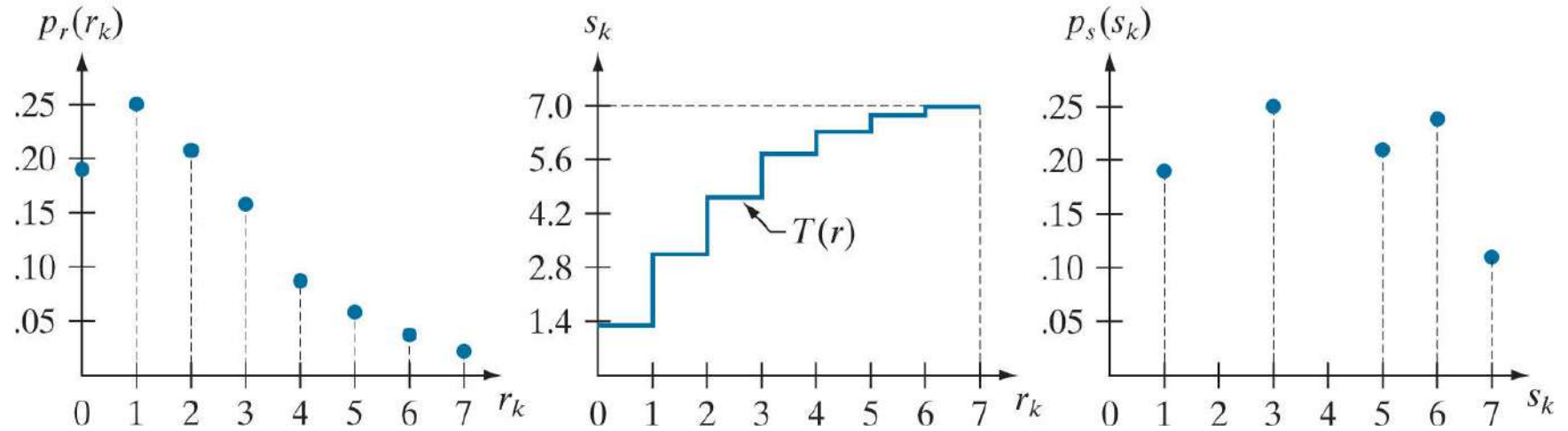
$$s_0 = 1.33 \rightarrow 1 \quad s_2 = 4.55 \rightarrow 5 \quad s_4 = 6.23 \rightarrow 6 \quad s_6 = 6.86 \rightarrow 7$$

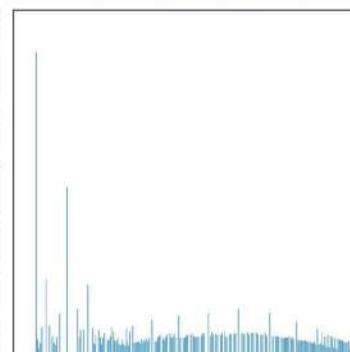
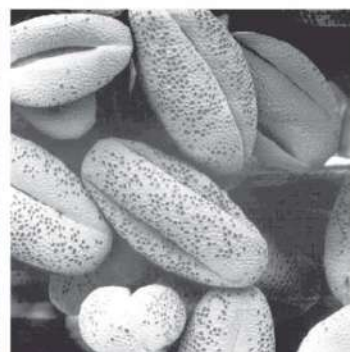
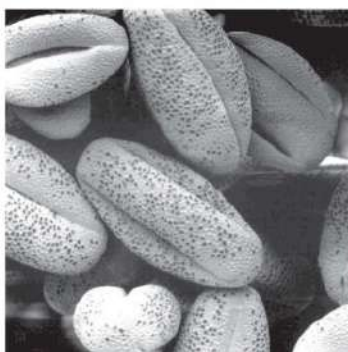
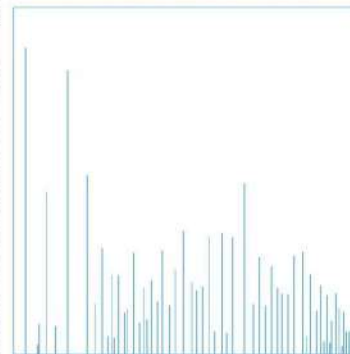
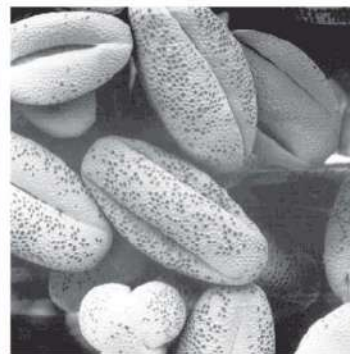
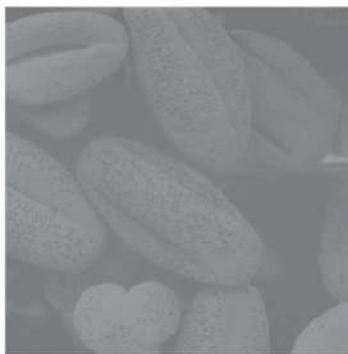
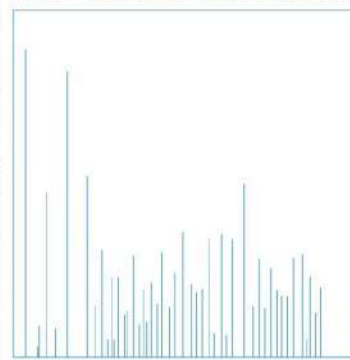
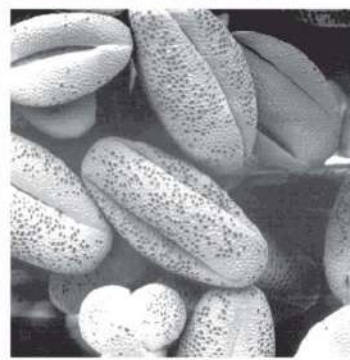
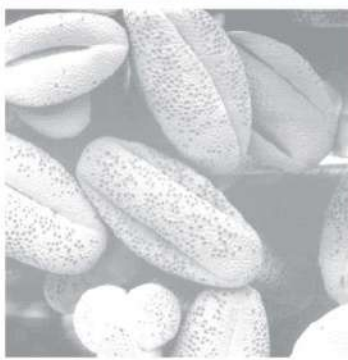
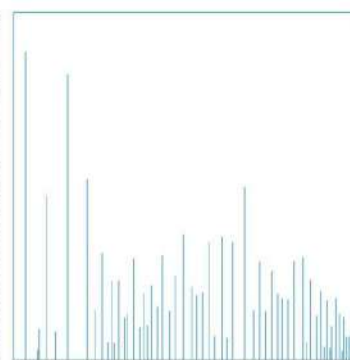
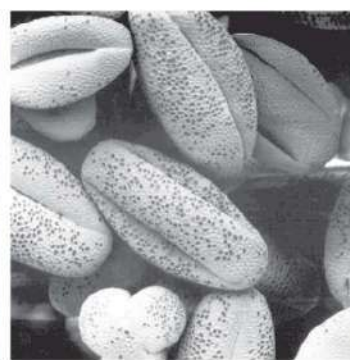
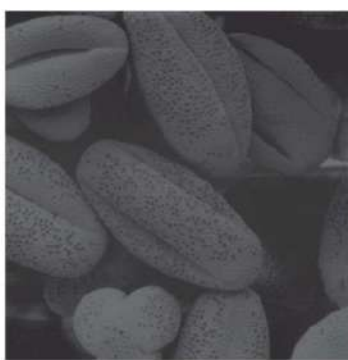
$$s_1 = 3.08 \rightarrow 3 \quad s_3 = 5.67 \rightarrow 6 \quad s_5 = 6.65 \rightarrow 7 \quad s_7 = 7.00 \rightarrow 7$$

$$s_1 = T(r_1) = 3.08, s_2 = 4.55, s_3 = 5.67, s_4 = 6.23, s_5 = 6.65, s_6 = 6.86, \text{ and } s_7 = 7.00.$$

# CONTOH HISTOGRAM EQUALIZATION

a b c



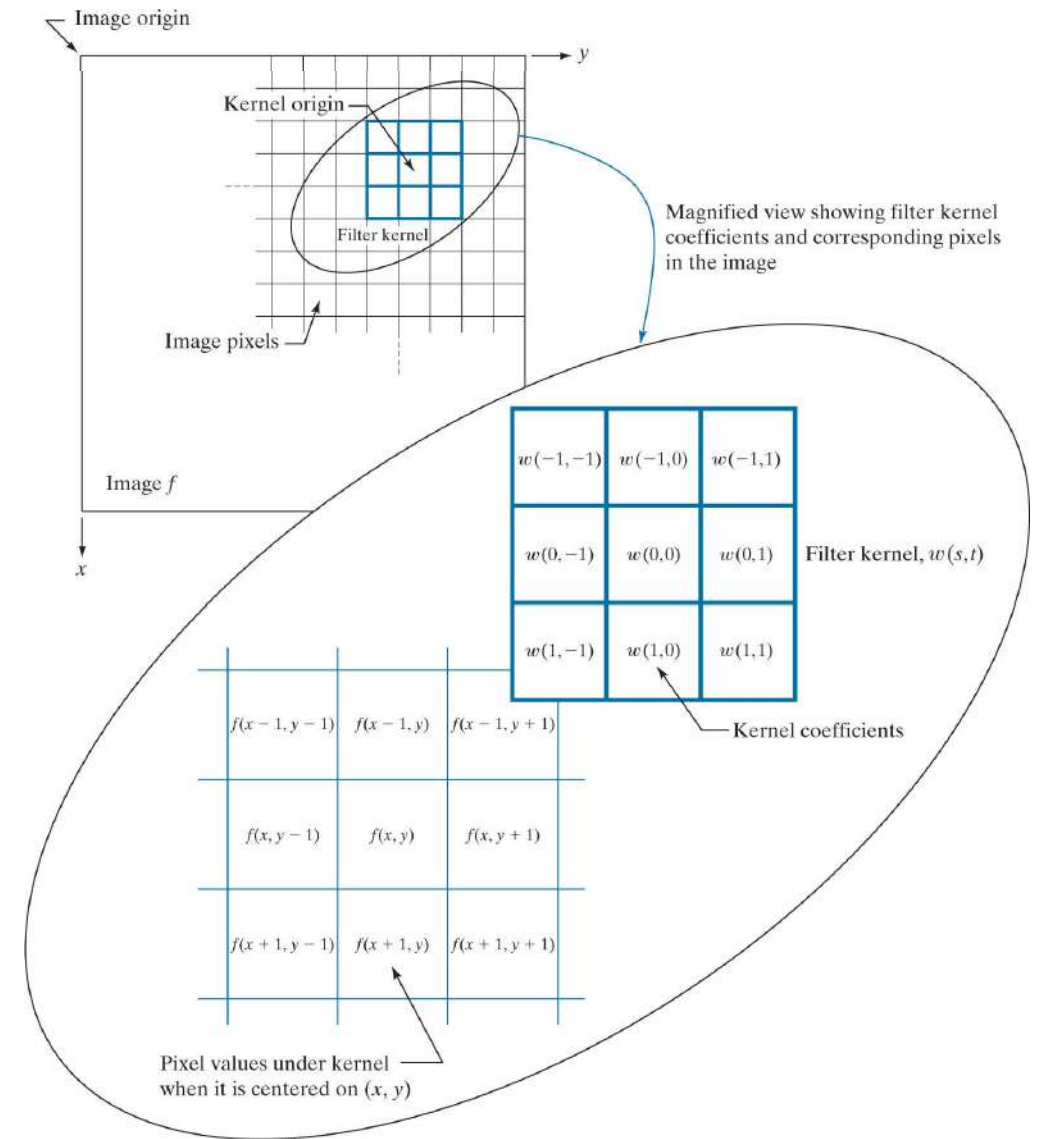


# PRAPROSES CITRA DIGITAL

Filter spasial lowpass dan highpass

# LINEAR SPATIAL FILTERING USING 3X3 KERNEL

As coordinates  $x$  and  $y$  are varied, the center of the kernel moves from pixel to pixel, generating the filtered image,  $g$ , in the process



$$g(x, y) = w(-1, -1)f(x-1, y-1) + w(-1, 0)f(x-1, y) + \dots + w(0, 0)f(x, y) + \dots + w(1, 1)f(x+1, y+1)$$

# LINEAR SPATIAL FILTERING USING 3X3 KERNEL

As coordinates  $x$  and  $y$  are varied, the center of the kernel moves from pixel to pixel, generating the filtered image,  $g$ , in the process

0	0	0	0	0	0	0
0	60	113	56	139	85	0
0	73	121	54	84	128	0
0	131	99	70	129	127	0
0	80	57	115	69	134	0
0	104	126	123	95	130	0
0	0	0	0	0	0	0

Kernel

0	-1	0
-1	5	-1
0	-1	0

114				

$$g(x, y) = w(-1, -1)f(x-1, y-1) + w(-1, 0)f(x-1, y) + \dots \\ + w(0, 0)f(x, y) + \dots + w(1, 1)f(x+1, y+1)$$

# SMOOTHING (AVERAGING) KERNELS (FILTERS)

- used to reduce sharp transitions in intensity
- can be used for noise reduction

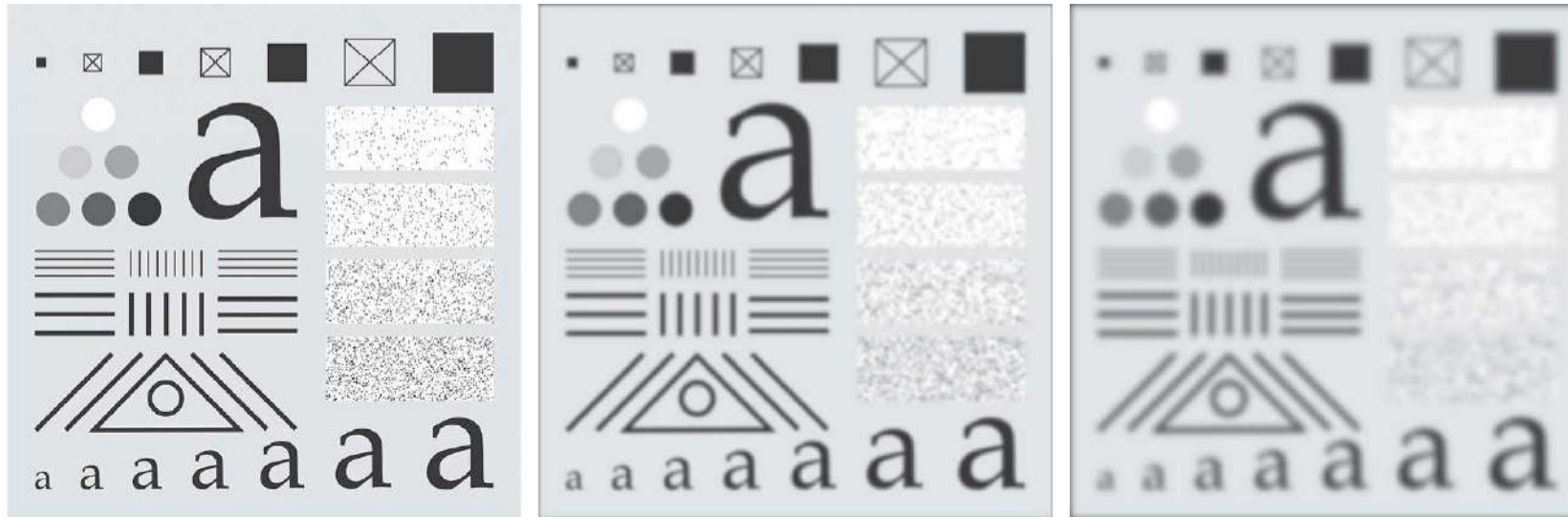
a b

$$\frac{1}{9} \times \begin{array}{|c|c|c|} \hline 1 & 1 & 1 \\ \hline 1 & 1 & 1 \\ \hline 1 & 1 & 1 \\ \hline \end{array}$$

$$\frac{1}{4.8976} \times \begin{array}{|c|c|c|} \hline 0.3679 & 0.6065 & 0.3679 \\ \hline 0.6065 & 1.0000 & 0.6065 \\ \hline 0.3679 & 0.6065 & 0.3679 \\ \hline \end{array}$$

(a) is a *box* kernel; (b) is a *Gaussian* kernel.

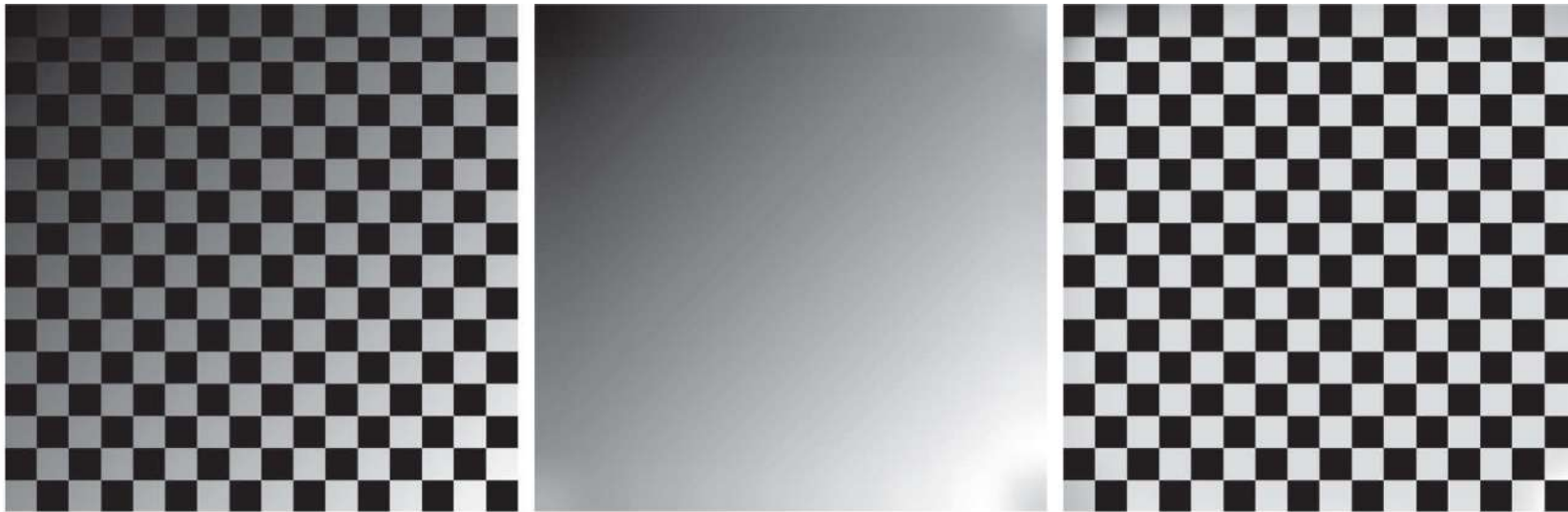




a b c

- (a) A test pattern of size 1024 x 1024.
- (b) Result of lowpass filtering the pattern with a Gaussian kernel of size 21 x 21, with standard deviations = 3.5
- (c) Result of using a kernel of size 43 x 43, with standard deviations = 7.

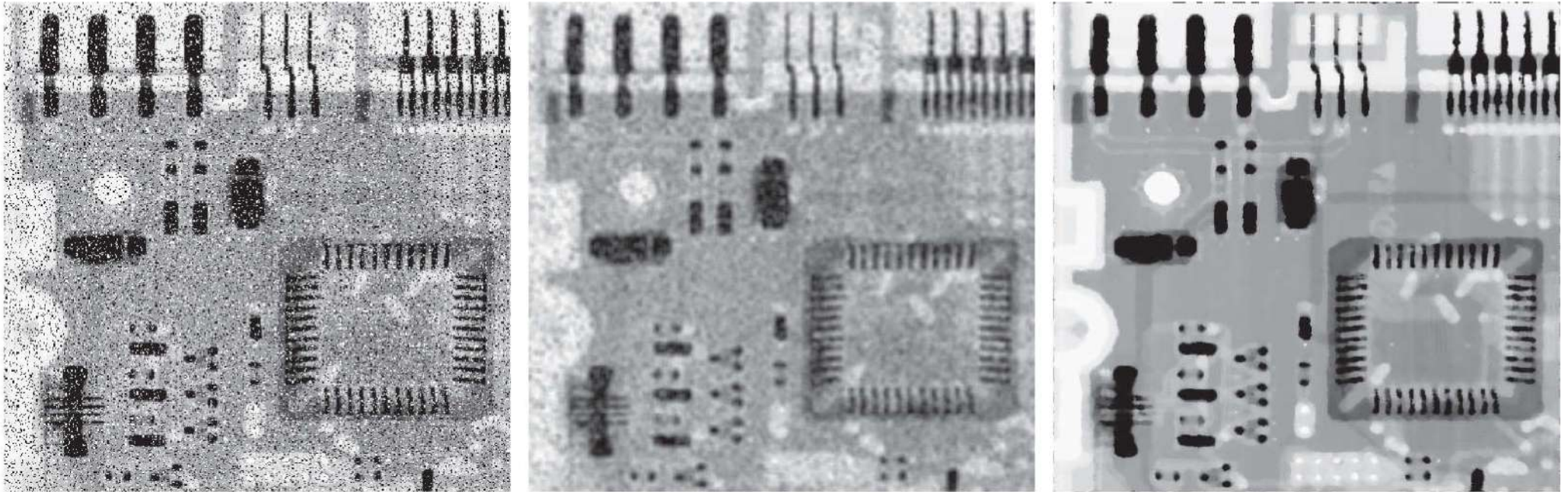
# SHADING CORRECTION



a b c

- a) Image shaded by a shading pattern oriented in the direction. The image size: 1024 x 1024. The inner square sizes: 128 x 128.
- b) Estimate of the shading patterns obtained using lowpass filtering. The result of filtering the image with a 512 x 512 Gaussian kernel with standard deviations = 128.
- c) Result of dividing (a) by (b)

# MEDIAN FILTERS



a b c

- a) X-ray image of a circuit board, corrupted by salt-and-pepper noise.
- b) Noise reduction using a  $19 \times 19$  Gaussian lowpass filter kernel with standard deviations = 3.
- c) Noise reduction using a  $7 \times 7$  median filter

# SHARPENING USING THE SECOND DERIVATIVE – THE LAPLACIAN

$$\nabla^2 f(x, y) = f(x + 1, y) + f(x - 1, y) + f(x, y + 1) + f(x, y - 1) - 4f(x, y)$$

0	1	0	1	1	1	0	-1	0	-1	-1	-1
1	-4	1	1	-8	1	-1	4	-1	-1	8	-1
0	1	0	1	1	1	0	-1	0	-1	-1	-1

a b c d

- a) Laplacian kernel.
- b) Kernel used to implement an extension of this equation that includes the diagonal terms.
- c) and (d) Two other Laplacian kernel

# CONTOH

a	b
c	d

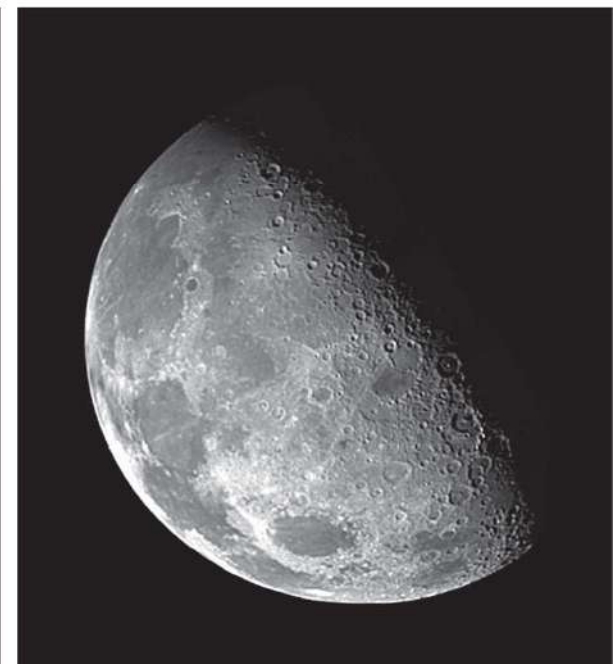
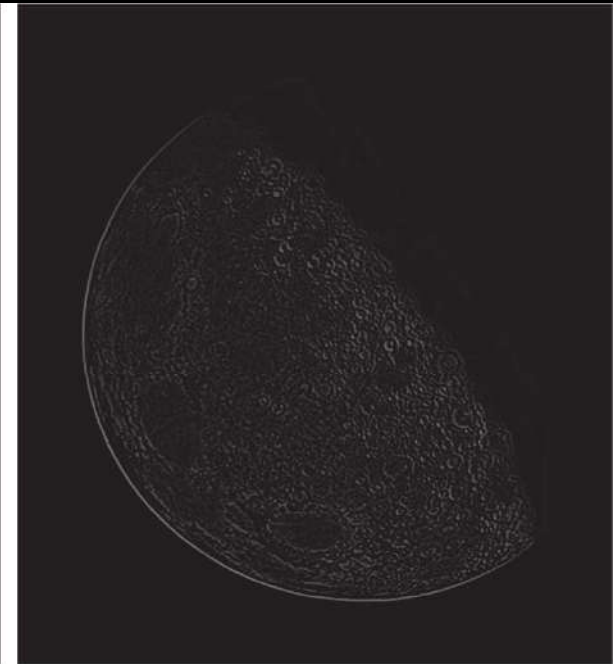
a) Blurred image of the North Pole of the moon.

b) Laplacian image obtained using the Laplacian kernel.

c) Image sharpened using the following equation with  $c = -1$

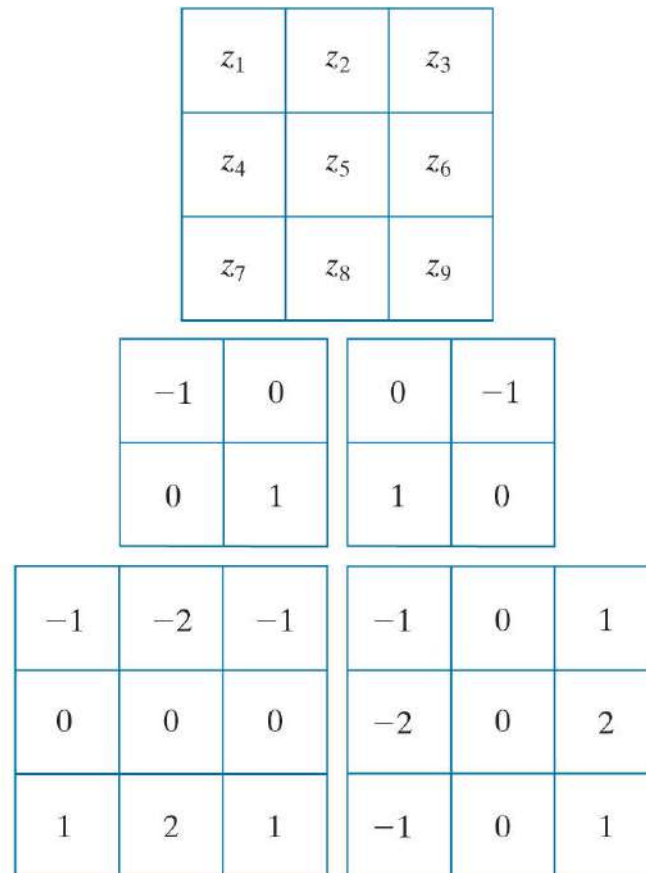
$$g(x, y) = f(x, y) + c[\nabla^2 f(x, y)]$$

d) Image sharpened using the same procedure, but with the kernel that includes the diagonal terms.



# SHARPENING USING THE FIRST DERIVATIVE – THE GRADIENT

a
b c
d e



- a) A region of an image, where the  $z$ s are intensity values.
- b) - (c) Roberts cross-gradient operators.
- (d)-(e) Sobel operators. All the kernel coefficients sum to zero, as expected of a derivative operator.

$$g_x = \frac{\partial f}{\partial x} = (z_7 + 2z_8 + z_9) - (z_1 + 2z_2 + z_3)$$

$$g_y = \frac{\partial f}{\partial y} = (z_3 + 2z_6 + z_9) - (z_1 + 2z_4 + z_7)$$

# SHARPENING USING THE FIRST DERIVATIVE – THE GRADIENT

The Image Gradient Magnitude

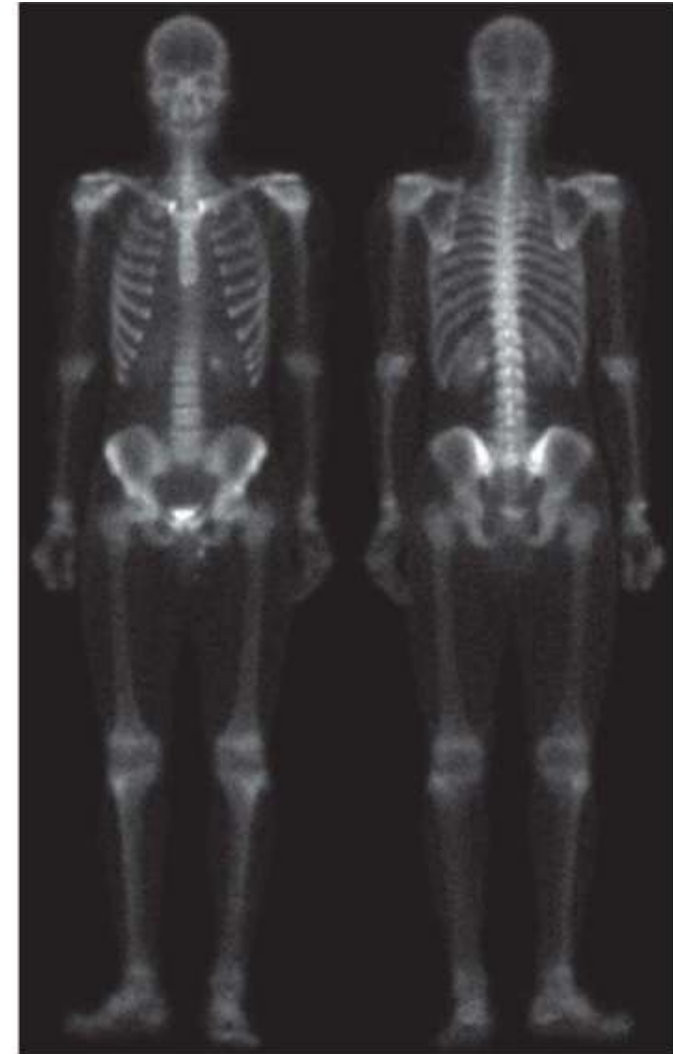
$$M(x, y) = [g_x^2 + g_y^2]^{\frac{1}{2}} = \left[ \left[ (z_7 + 2z_8 + z_9) - (z_1 + 2z_2 + z_3) \right]^2 + \left[ (z_3 + 2z_6 + z_9) - (z_1 + 2z_4 + z_7) \right]^2 \right]^{\frac{1}{2}}$$

# PRAPROSES CITRA DIGITAL

Metode kombinasi filter spasial

# IMAGE OF WHOLE BODY BONE SCAN

used to detect diseases such as bone  
infections and tumors



# THE LAPLACIAN OF THE IMAGE OF WHOLE BODY BONE SCAN

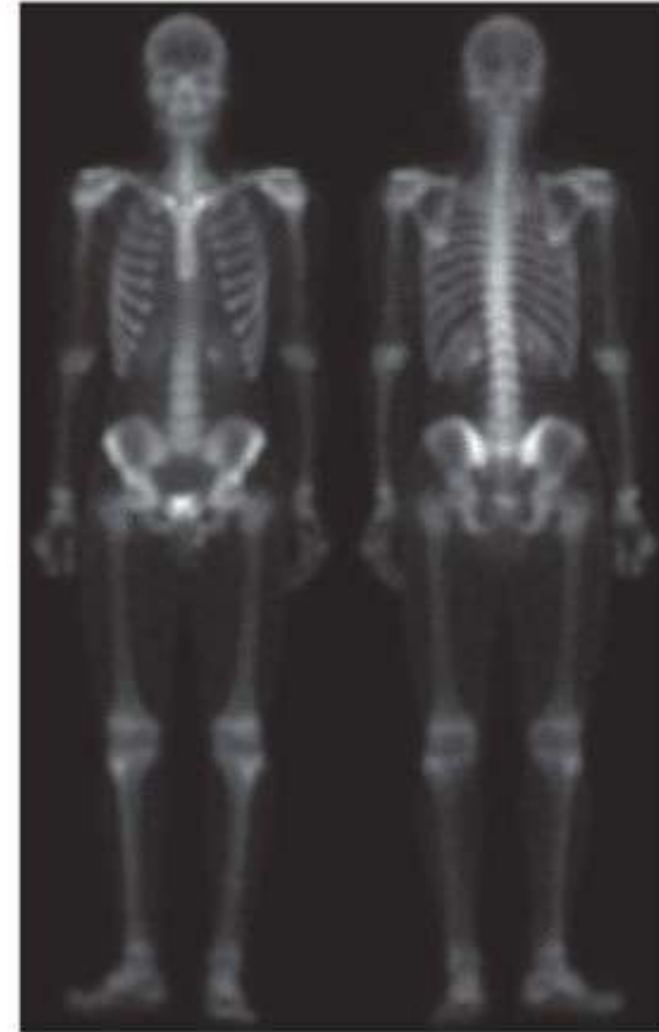
obtained using the following kernel :

-1	-1	-1
-1	8	-1
-1	-1	-1



# THE SHARPENED IMAGE OF WHOLE BODY BONE SCAN

Sharpened image obtained by adding the  
input image and the Laplacian image



THE SOBEL GRADIENT  
OF IMAGE OF WHOLE  
BODY BONE SCAN



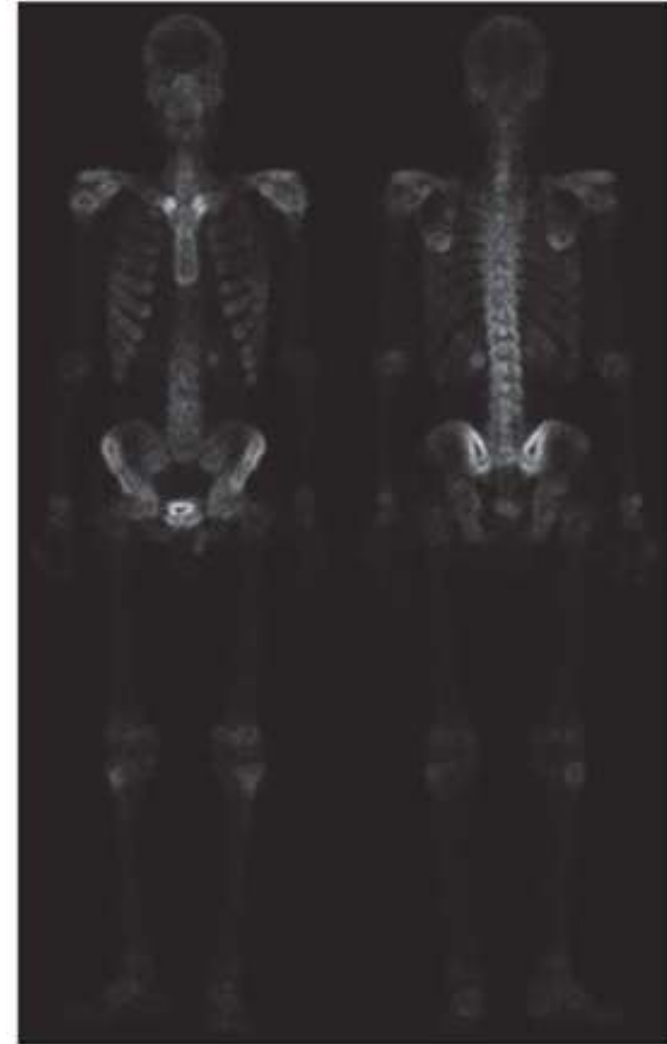
# THE SMOOTHED SOBEL IMAGE OF WHOLE BODY BONE SCAN

Sobel image smoothed with a 5 x 5 box  
filter



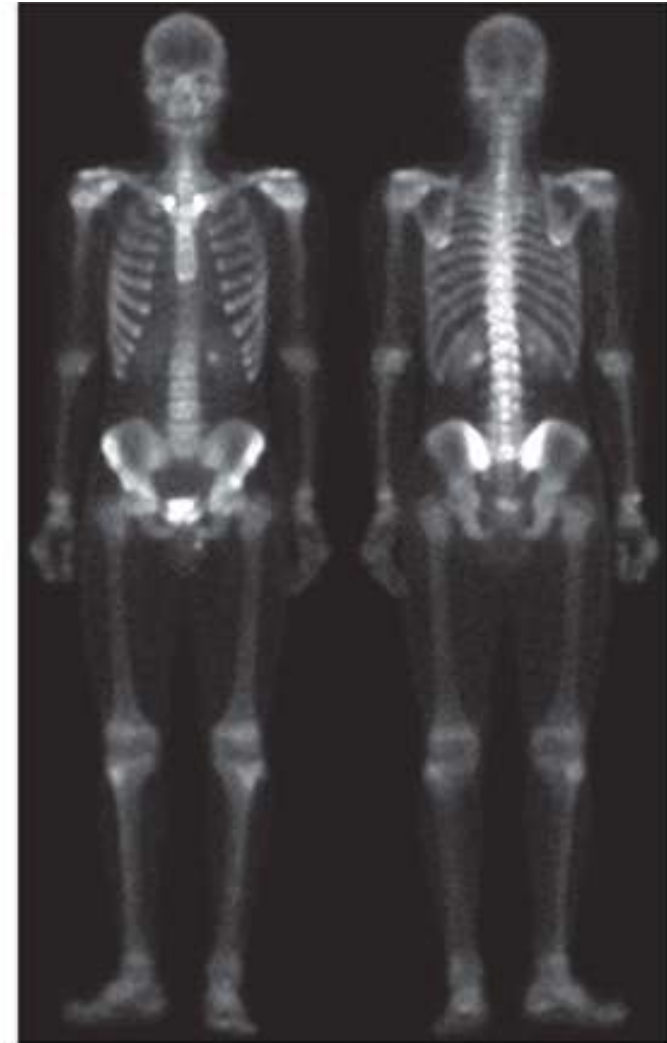
# THE MASK IMAGE OF WHOLE BODY BONE SCAN

Mask image formed by the product of the Laplacian image and the smoothed Sobel image



# THE SHARPENED IMAGE OF WHOLE BODY BONE SCAN

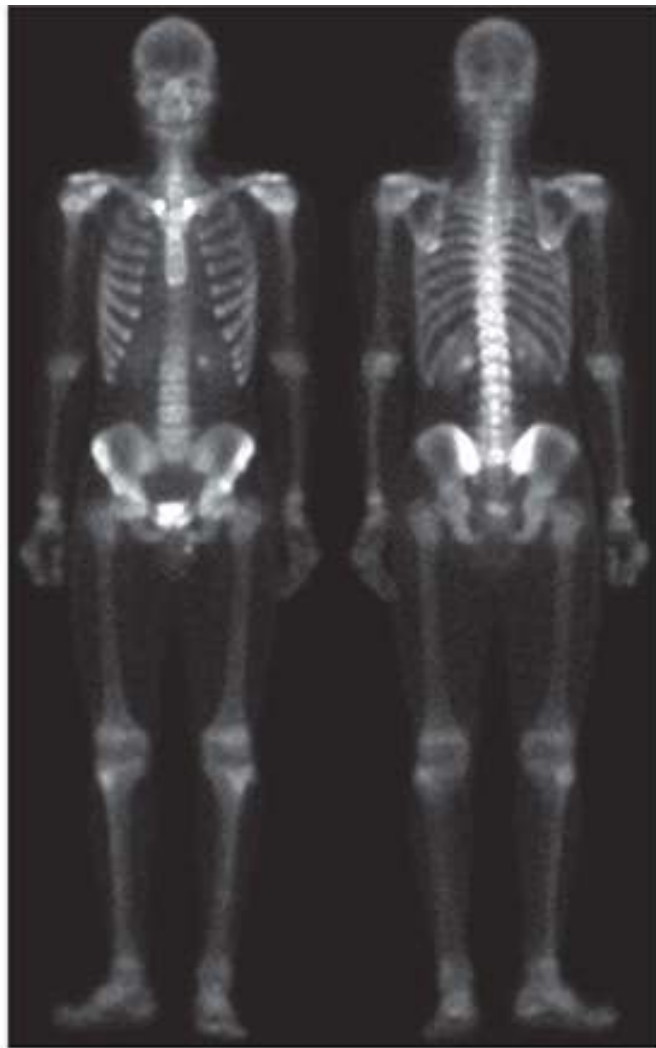
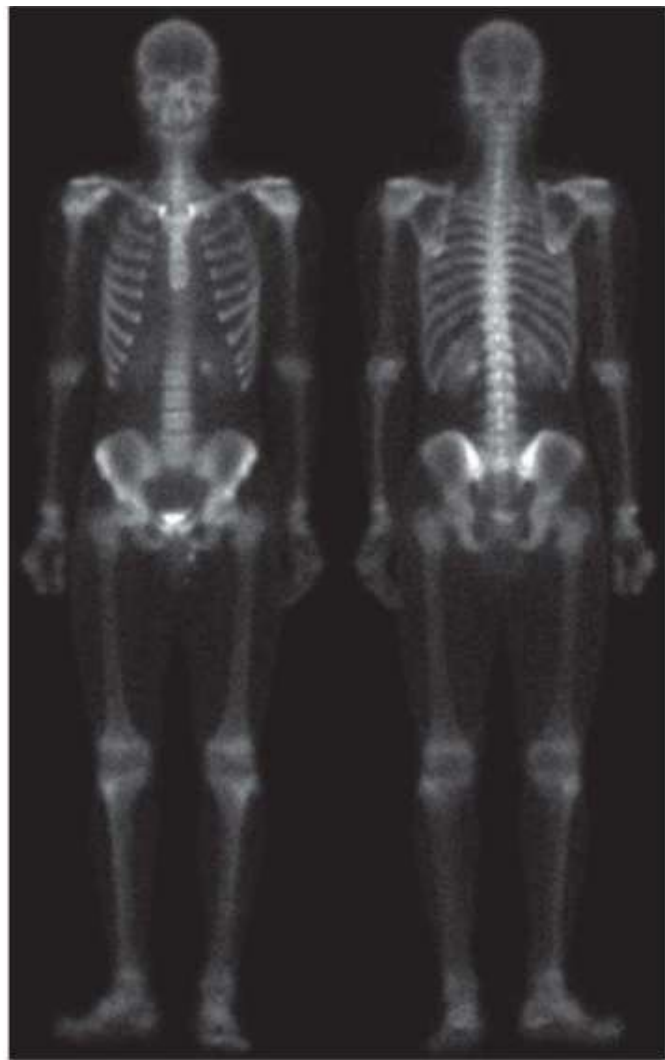
Add the original image with the mask image



# THE TRANSFORMED IMAGE OF WHOLE BODY BONE SCAN

Apply the power-law transformation to the sharpened image ( $\gamma = 0.5$ )





TERIMA KASIH